

The *e-Motion* Team-Project

« *Geometry and Probability for motion and action* »

Inria Rhône-Alpes & Gravir laboratory (UMR 5527)

Scientific leader : Christian LAUGIER

Team-Project members (*year 2004*)

- **Permanent staff**

- Christian Laugier, DR2 Inria (*Scientific leader*)
- Emmanuel Mazer, DR2 Cnrs (*External collaborator currently in our start-up « Probayes »*)
- Pierre Bessiere, CR1 Cnrs
- Thierry Fraichard, CR1 Inria
- Sepanta Sekhavat, CR1 Inria (*Currently in Iran for 2 years*)
- Olivier Aycard, MC UJF
- Anne Spalanzani, MC UPMF

- **Invited researchers, Postdocs, and Engineers**

- Juan Manuel Ahuactzin
- Olivier Malrait
- Kamel Mekhnacha
- Jorge Hermosillo
- Christophe Coué

- **PhD students**

- **7 theses defended in 2003:** *J. Diard, C. Mendoza, R. Garcia, J. Hermosillo, F. Large, C. Coué, K. Sundaraj*
- **8 PhD students:** *C. Pradalier, C. Koike, M. Amavicza, R. Lehy, F. Colas, D. Vasquez, P. Dangauthier, M. Yguel*
- **3 PhD students co directed :** *M. Kais (rocquencourt), S. Petti (rocquencourt), B. Rebsamen (NUS)*
- **5 Master students :** *Christopher Tay, Alejandro xx, Ruth xx, Christophe Braillon, Julien Burlet*

Objectives & motivations

- **Scientific challenge :** *To develop new models for constructing « artificial systems » having sensing, decisional, and acting capabilities **sufficiently efficient and robust** for making them really operational in **open** (i.e. large & weakly structured) **and dynamic environments**.*
- **Practical objective :** *To built **operational** (i.e. **scalable**) systems in some selected application domains (e.g. transportation, personal robots ...). Such systems should be able to « **share our living space while exhibiting natural behaviors** ».*
- **Motivations & difficulties :** *Instead of promises & impressive advances in robotics in the last decade, almost no advanced robots are currently evolving around us!
⇒ No reliability, weak reactivity, low efficiency (real time constraints), cybernetic behaviors, programming difficulty & no real learning capabilities.*
- **Favourable technological context :** *(1) Continuous & fast growing of computational power; (2) Fast development of micro & nano technologies (mechatronics); (3) Increasing impact of information & telecom technologies on our everyday life (ambient intelligence)*

Cooperation & Contracts

- **International cooperation**

Japan (Riken), Singapore (NTU, NUS, SIMTech), USA (UCLA, Stanford, MIT), Mexico (IESTM Monterrey, UDLA Puebla), Europe (EPFL, Univ college of London)

- **Industrial cooperation**

Robosoft, Renault, PSA, XL-Studio, Aesculap-BBrowne, Teamlog, Kelkoo

Startups: ITMI, Getris Images, Aleph Technologies, Aleph Med, Probayes (oct. 2003)

- **R&D contracts**

- Industrial : *ACI « Protege », Priamm « Visteo », RNTL « Amibe », Kelkoo*

- National : *Robea (EVbayes, Parknav), Predit (Arcos, MobiVip, Puvame)*

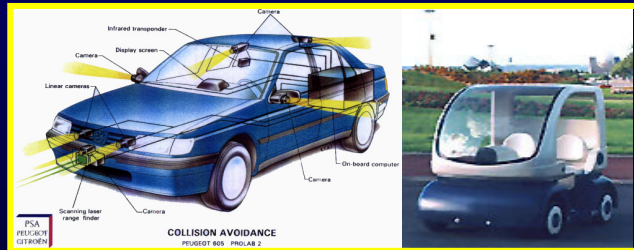
- Europe : *NoE « Euron », IST-FET « Biba », IST « Cybercars », IST « Prevent »*

A large spectrum of potential applications

=> *Rehabilitation & Medical care, Services, Transport & Logistics, Entertainment ...*

Main considered applications

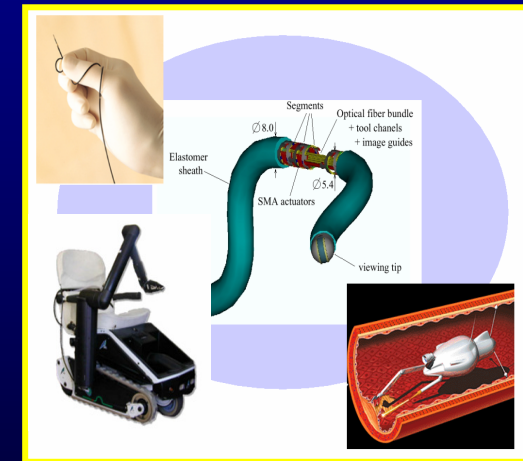
“Personal Robot Assistant”



Future cars
(driving assistance & autonomous driving)



Virtual autonomous agents
(natural interaction with human)



Rehabilitation & Medical robots

Scientific approach

- **Main difficulties**

- **Previous approaches on AI & Robotics have shown their limitations**

- => *Logics (70's), Geometry (80's), Random search (90's), purely Reactive Architectures (90's)*

- **The real world is too complex for being fully modeled using classical tools (in particular: incompleteness & uncertainty)**

- => *Additional methods are required (e.g. probabilistic programming)*

- => *Biologic inspiration could bring some help (sensori motors systems, internal representations for motions... which seems mostly based on probabilistic laws)*

- **Required technological breakthroughs**

- **Motion & action autonomy in a complex dynamic world**

- => *Incremental world modeling, time space dimension, prediction & estimation of obstacles motion*

- **Increased robustness & safety of navigation systems (perception & control)**

- => *Dealing with incompleteness & uncertainty*

- **Easy programming & system adaptativity**

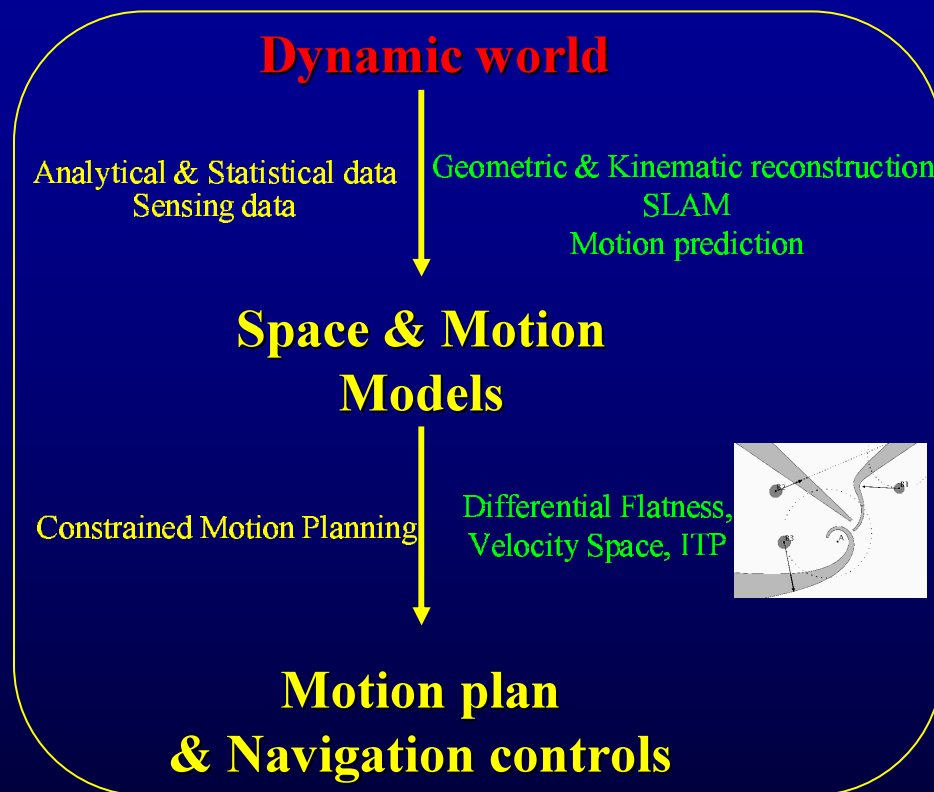
- => *Self learning capabilities & behaviors coding and mixing*

- **Our approach**

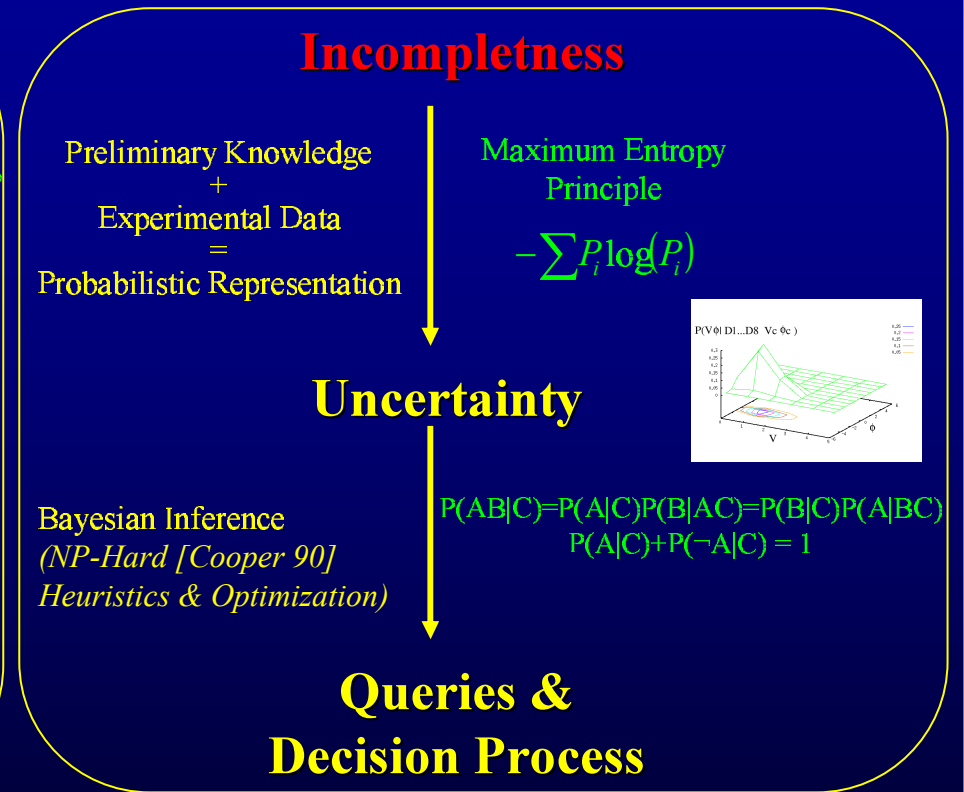
- => *To focus on « complexity » and « incompleteness » problems (scalability & real world)*

- => *We guess that this can be achieved by combining geometrical and probabilistic approaches*

Two complementary reasoning processes



Mastering the complexity by using the right reasoning level & incremental approaches



Taking explicitly into account the hidden variables at the reasoning level

Bayesian Programming (principle)

Bayesian Program

Description

- Specification \Rightarrow *Preliminary Knowledge* π
 - Set of relevant variables $\{X^1, X^2, \dots, X^n\}$
 - Decomposition of the joint distribution (efficient way to compute it)

$$P(X^1 \otimes X^2 \otimes \dots \otimes X^n | \delta \otimes \pi) = P(L^1 | \delta \otimes \pi) \times P(L^2 | R^2 \otimes \delta \otimes \pi) \times \dots \times P(L^k | R^k \otimes \delta \otimes \pi)$$
 - Parametric forms assigned to some of the terms appearing in the decomposition (gaussian, uniform ...)

$$P(L^i | R^i \otimes \delta \otimes \pi) = f_{\mu(R^i, \delta)}(L^i)$$
- Identification (of some of the terms of the decomposition)

$$\Rightarrow$$
 Experimental Data δ $P(L^i | R^i \otimes \delta \otimes \pi) = P(L^i | R^i \otimes \delta' \otimes \pi')$

Question

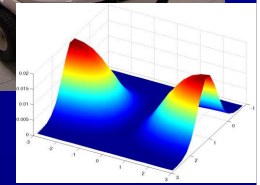
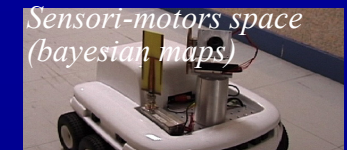
$$P(\text{Search} | \text{Known} \otimes \delta \otimes \pi) = \frac{1}{\Omega} \times \sum_{\text{Unknown}} P(X^1 \otimes X^2 \otimes \dots \otimes X^n | \delta \otimes \pi)$$

\Rightarrow *Inference* (i.e. answer to the question) carried out by an “inference engine” (symbolic simplification + numerical computation)

Research axes

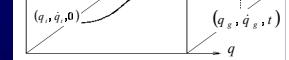
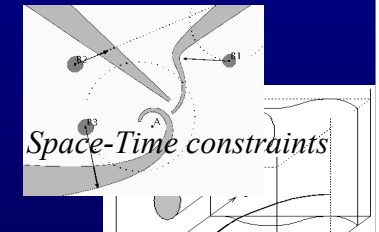
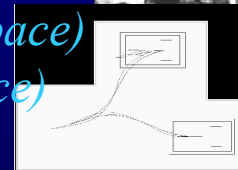
- **Multi-modal modeling of space & motion**

- Incremental world modeling
- Prediction & estimation of obstacles motions
- Sensori-motors maps



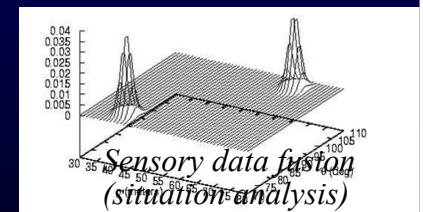
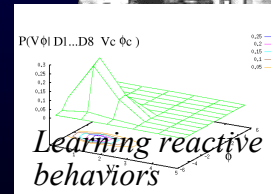
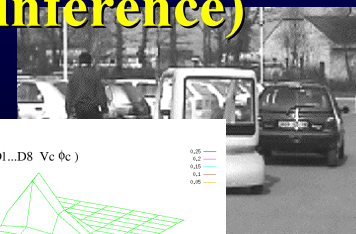
- **Motion planning in a dynamic world**

- Iterative trajectory planning (ITP)
- Instantaneous escaping trajectories (Velocity space)
- States of unavoidable collisions (State-time space)



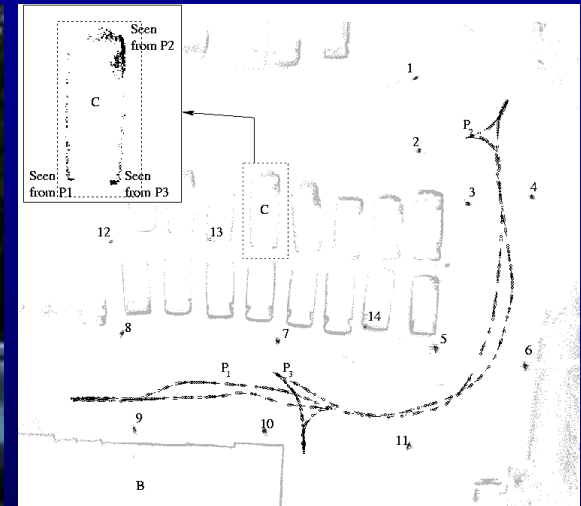
- **Decision in an uncertain world (Bayesian inference)**

- Bayesian programming
- Automatic learning & Entropy maximization
- Biological inspiration



Autonomous navigation & Easy robot programming

⇒ Several functionalities (*learned and downloaded*) have to be combined
Incremental world modeling & localization + Motion planning + Autonomous sensor based navigation



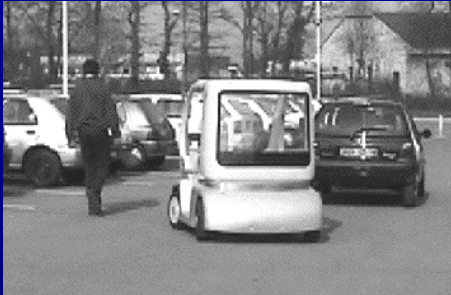
SLAM
+
Motion planning
+
Reactive navigation

[Pradalier & Hermosillo 03]

Bayesian programming of reactive behaviors

[Pradalier et al. 03]

=> Controlling the vehicle using a probability distribution on (v, ϕ)
 e.g. reducing speed and/or modifying steering angle for avoiding a pedestrian or a car



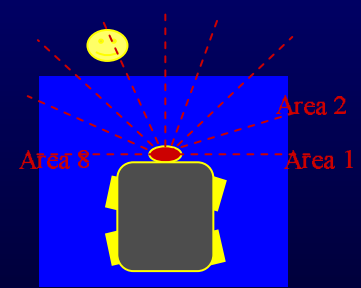
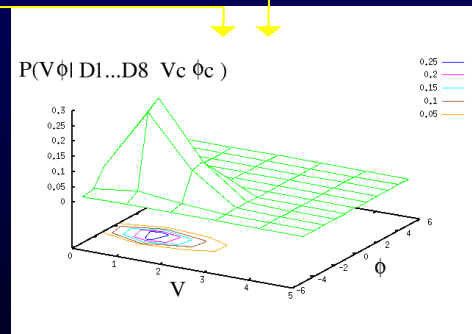
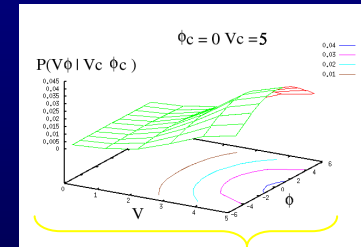
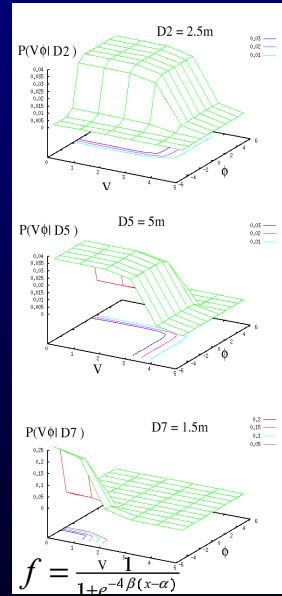
Joint distribution for the fusion :

$$P(V \otimes \phi \otimes D_1 \otimes \dots \otimes D_8) = P(V \otimes \phi) \prod_{i=1}^8 P_i(D_i / V \otimes \phi)$$

where : $\left\{ \begin{array}{l} P(V \otimes \phi) = \text{Uniform} \\ P_i(D_i / V \otimes \phi) = \frac{P_i(D_i) P_i(V / D_i) P_i(\phi / D_i)}{\sum_{D_i} P_i(D_i) P_i(V / D_i) P_i(\phi / D_i)} \end{array} \right.$

Probabilistic joint distribution for area i

Command fusion



Current work: More complex situations & Learning, Integration with Planning & Control

Bayesian programming : some experimental result



Reactive obstacle avoidance (Cycab)

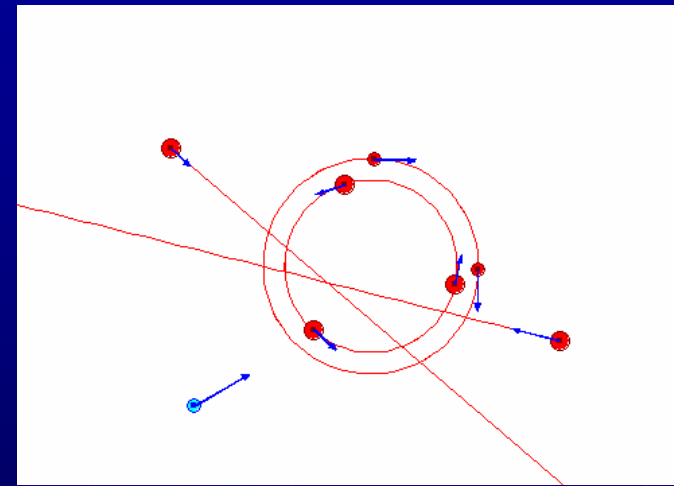
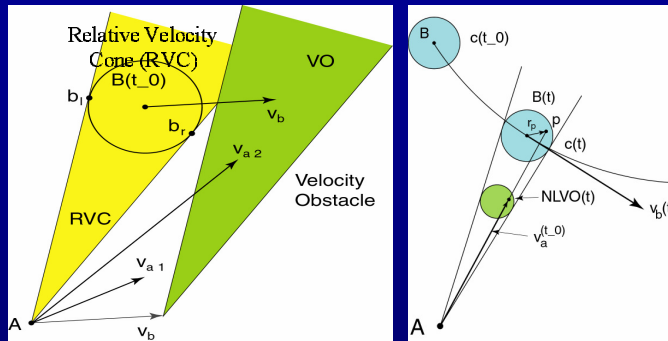


Target following (Koala)

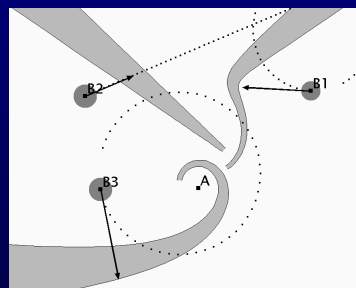
V-Obstacles & ITP (dynamic environment)

[Large et al. 03]

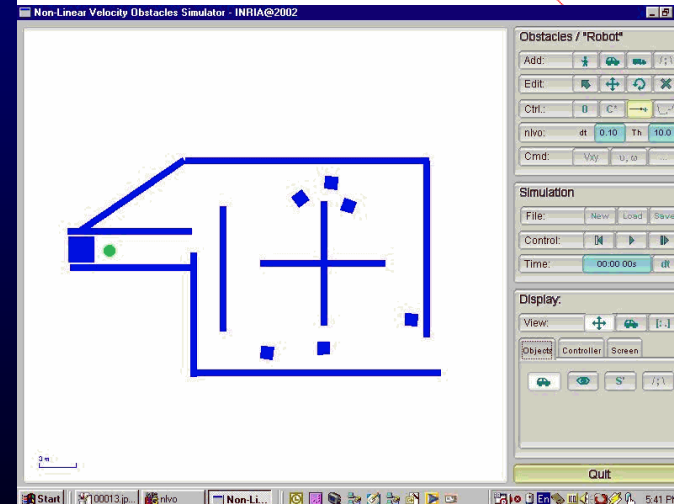
- Instantaneous escaping trajectories (V-obstacles) => Strategies for avoiding moving obstacles
- Iterative Trajectory Planning => Complete navigation strategy



V obstacles



$$\begin{aligned}
 \text{Obstacle trajectory} &: c(t) = d(t)e^{i\theta(t)} \\
 c_v(t) &= \frac{d(t)}{t} e^{i\theta(t)} \\
 vo_r(t) &= c_v(t) + i \frac{r}{t} \hat{c}_l(t) \\
 vo_l(t) &= c_v(t) - i \frac{r}{t} \hat{c}_l(t)
 \end{aligned}$$

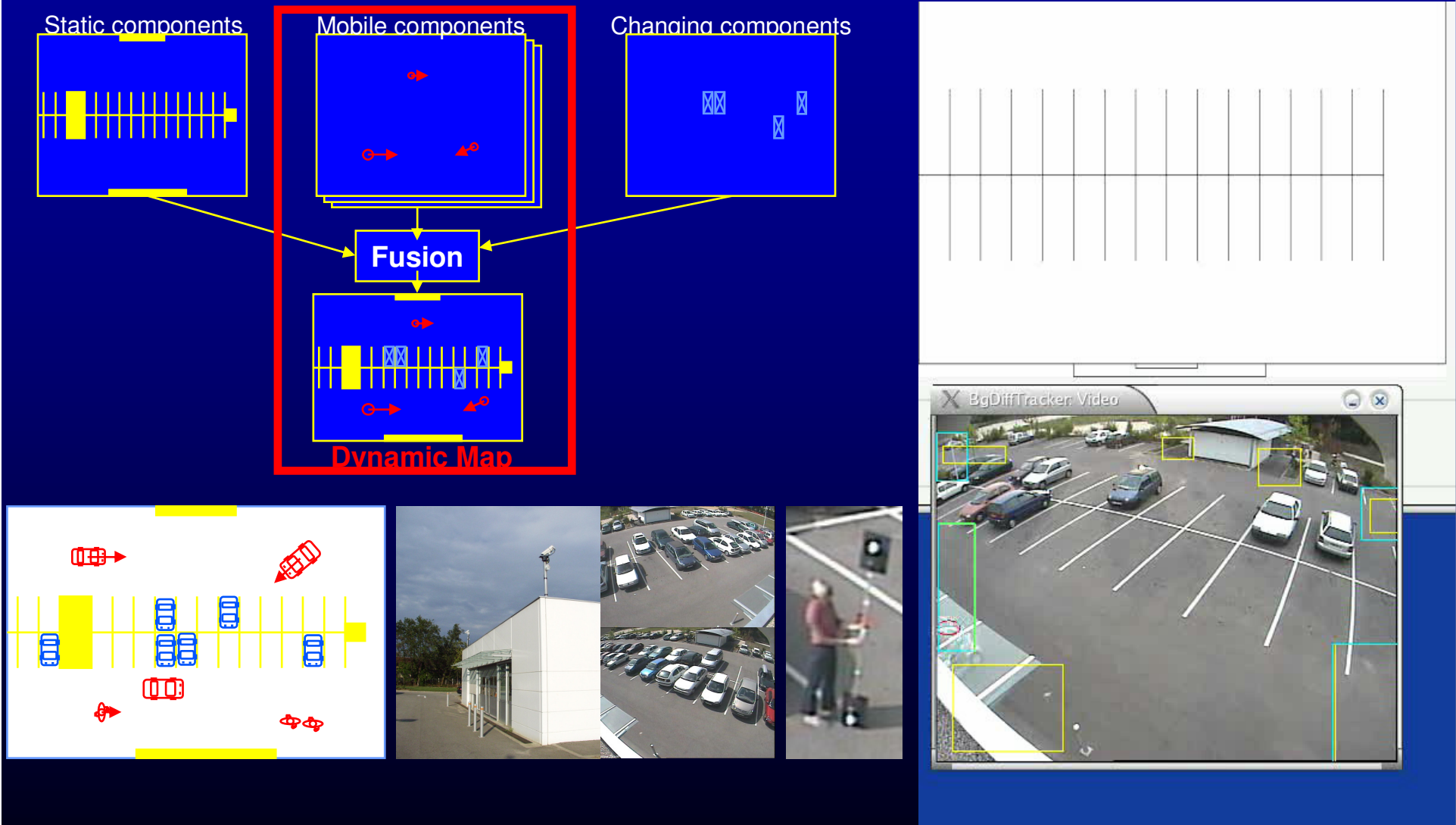


V obstacles
+
ITP

Current work: More complex geometry & dynamics, Perception, Uncertainty

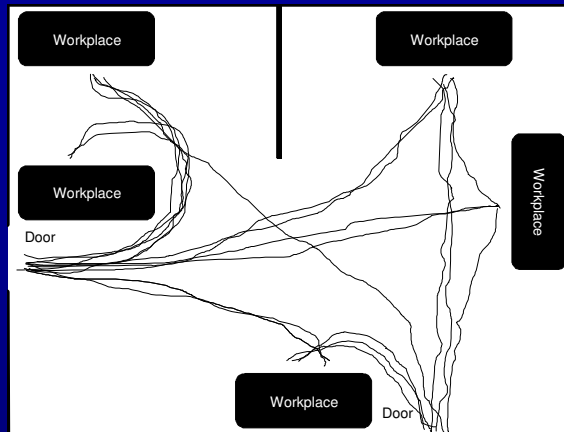
Automatic reconstruction of a dynamic map (Parkview : Multi-camera system)

[Helin 03]



Trajectory prediction for moving obstacles

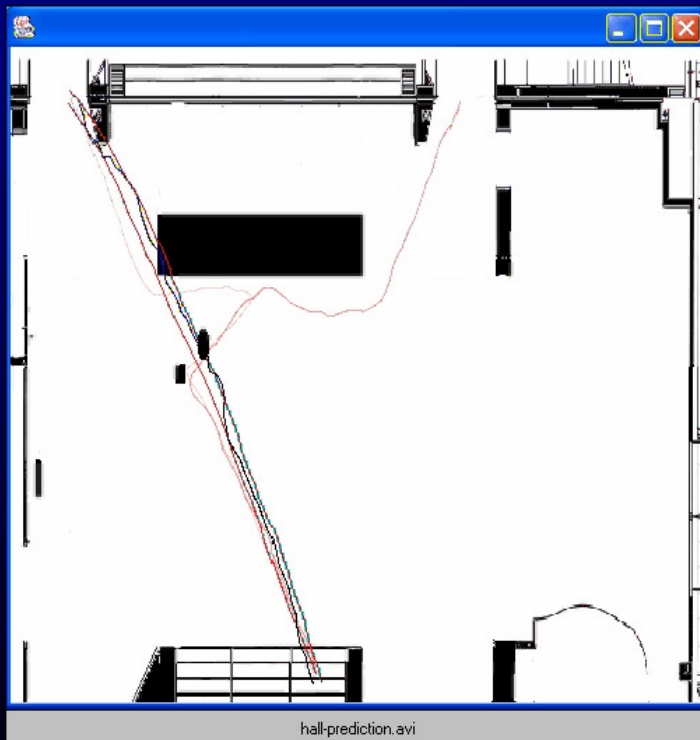
[Vasquez 04]



Learning phase : Clustering

Mean trajectory :
$$\mu_k(t) = \frac{1}{N_k} \sum_{i=1}^{N_k} d_i(t)$$

Standard deviation :
$$\sigma_k = \left(\frac{1}{N_k} \sum_{i=1}^{N_k} \delta(d_i, \mu_k)^2 \right)^{1/2}$$



Prediction phase (at each time step) : Calculating the likelihood that $d_p \in C_k$

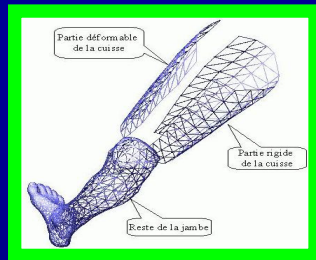
Partial distance :
$$\delta_p(d_p, d_j) = \left(\frac{1}{T_p} \int_{t=0}^{T_p} (d_p(t) - d_j(t))^2 dt \right)^{1/2}$$

Likelihood estimation :
$$P(d_p | C_k) = \frac{1}{\sqrt{2\pi\sigma_k}} e^{-\frac{1}{2\sigma_k^2} \delta_p(d_p, \mu_k)^2}$$

Some previous results of our research team

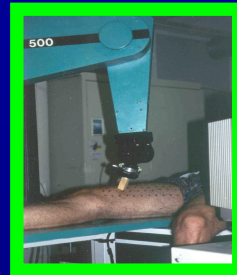
- *Interactive medical simulation*
- *Autonomous navigation for Virtual Reality applications*
- *Automatic driving & Driving assistance*

Interactive medical simulation

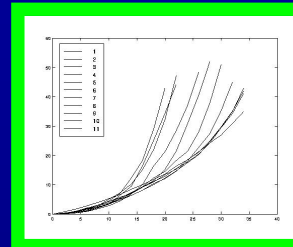


Geometric model

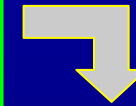
+



Measured data

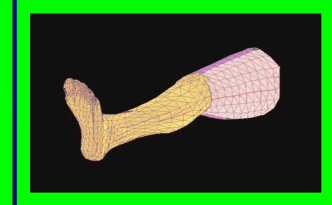
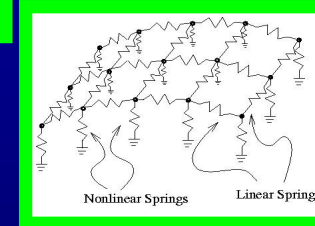


Stress-strain curves (measured)

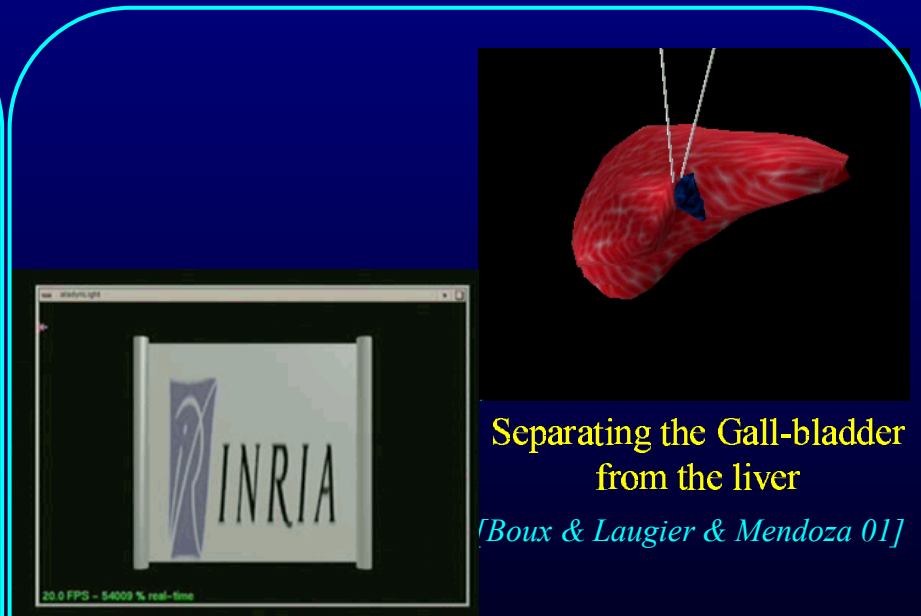


$$F = k\Delta x \quad (\text{linear})$$

$$F = \frac{\Delta x}{a\Delta x + b} \quad (\text{non-linear})$$



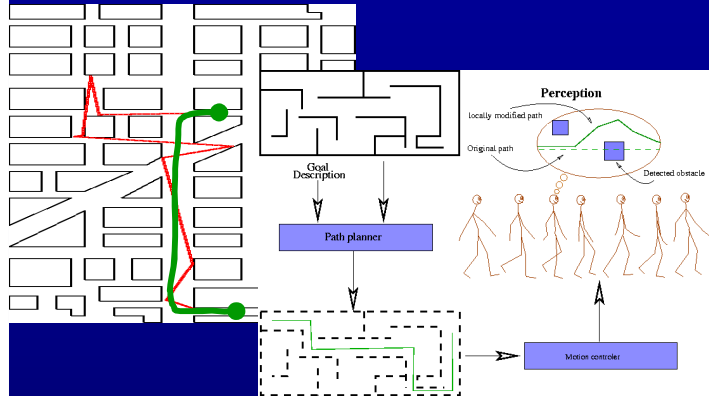
Echographic simulator (coop. TimC & UC-Berkeley & LIRMM)
[Daulignac & Laugier 00-01]



Cutting a flag using an haptic device
[Boux & Laugier 00]

Separating the Gall-bladder from the liver
[Boux & Laugier & Mendoza 01]

Autonomous navigation for Virtual Reality applications



- Dynamic path planning : *Adriane's Clew Algorithm* [Ahuactzin 94]
- Reactive navigation :
 - => *Path tracking & Obstacle avoidance* [Raulo & Laugier 00]
 - => *Bayesian behaviors* [Lebeltel 99, Raulo 01]

Question : $P(\mathbf{M} | \mathbf{s} \text{ Cp Surveil})$

$$P \left(\begin{array}{l} \mathbf{Vrot} \ \mathbf{Vtrans} \end{array} \middle| \begin{array}{l} \text{px0 ..px7 lm0 ..lm7 veille feu obj?} \\ \text{eng tach_t -1 td_t -1 tempo tour} \\ \text{dir prox dirG proxG vtrans_c} \\ \text{dnv mnv mld per} \end{array} \ \mathbf{Cp_Surveil} \right)$$

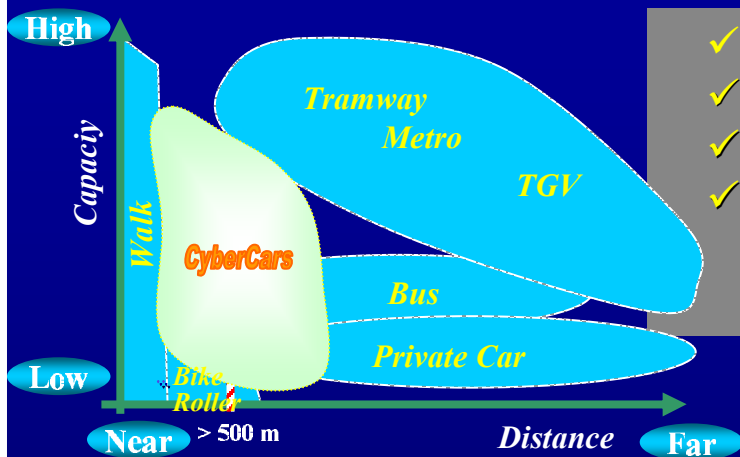
Solving : $P(\mathbf{Vrot} \ \mathbf{Vtrans} | \text{px0 px1 ... lm7 veille feu ... per})$



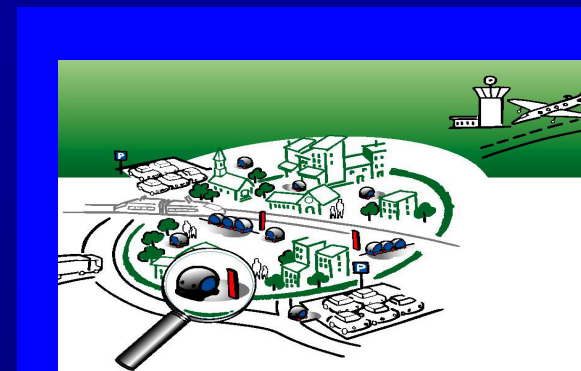
Some previous results of our research team

- *Interactive medical simulation*
- *Autonomous navigation for Virtual Reality applications*
- *Automatic driving & Driving assistance*

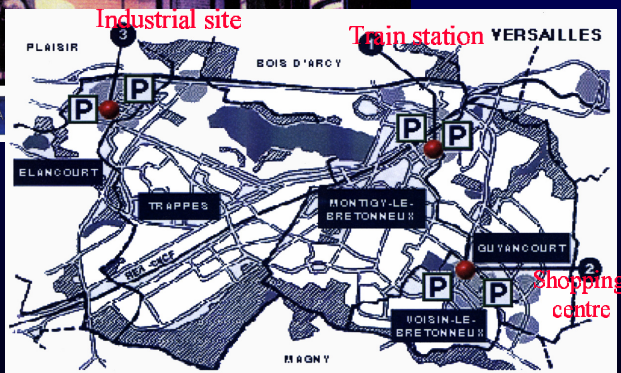
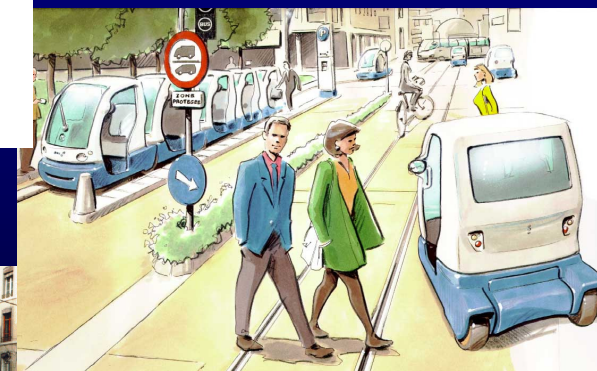
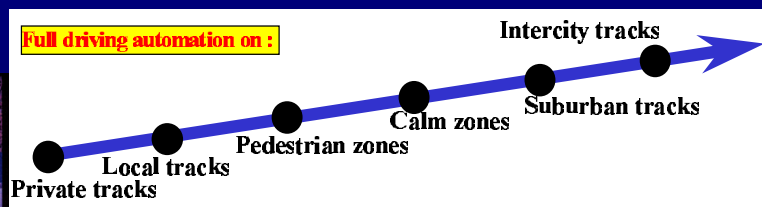
The « CyberCars » approach



- ✓ Door to door, 24 hours a day
- ✓ Small (urban size), silent
- ✓ User friendly interface
- ✓ Automatic manoeuvres
=> parking, platooning
... up to fully automated



CyberCars are focusing on historical city centres



Praxitele : Real experiment in SQY (97-99)



CyCab dual mode vehicle
Commercialized by Robosoft

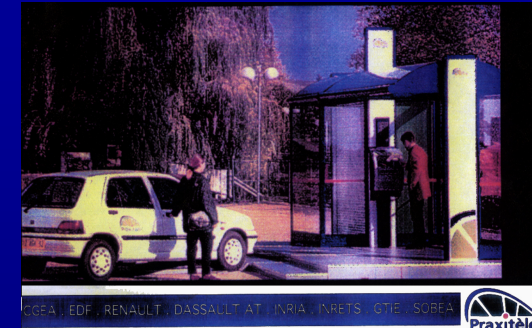
Some CyberCars projects



ParkShuttle (Frog, Netherlands)



Serpentine (Switzerland)

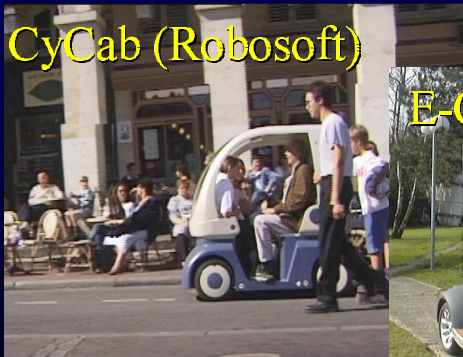


Praxitele (France)

European Cybercars project (2001-05)

- ✓ **10 industrial partners** (*Fiat, Yamaha, Frog ...*), **7 research institutes** (*Inria, Inrets, Ensmc ...*), **12 cities involved** (*Rome, Rotterdam, Lausanne, Antibes ...*)
- ✓ **10 M €**

CyCab (Robosoft)



E-Cab (Yamaha)



ParkShuttle (Frog)

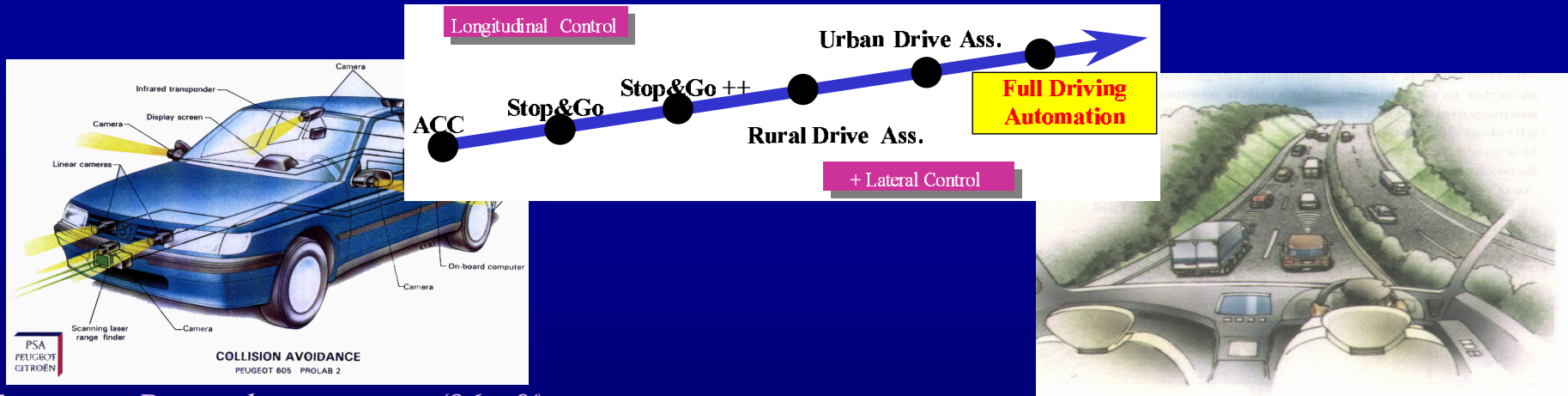


Serpentine (SSA)



The « Automotive » approach

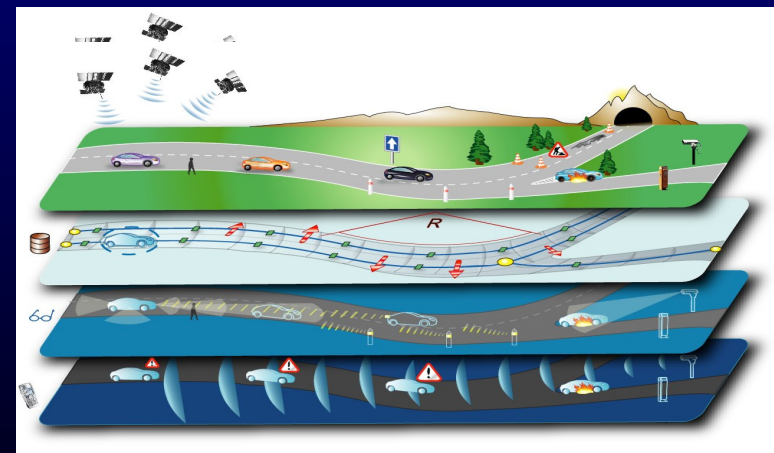
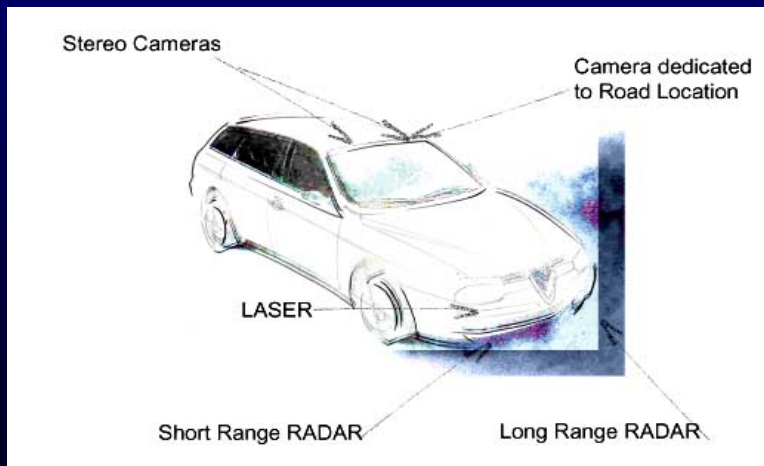
ADAS : Advanced Driver Assistance



European Prometheus project (86-94)

Current projects: Carsense, Arcos, Prevent

R&D program (on board and off board systems) for increasing safety & driving confort



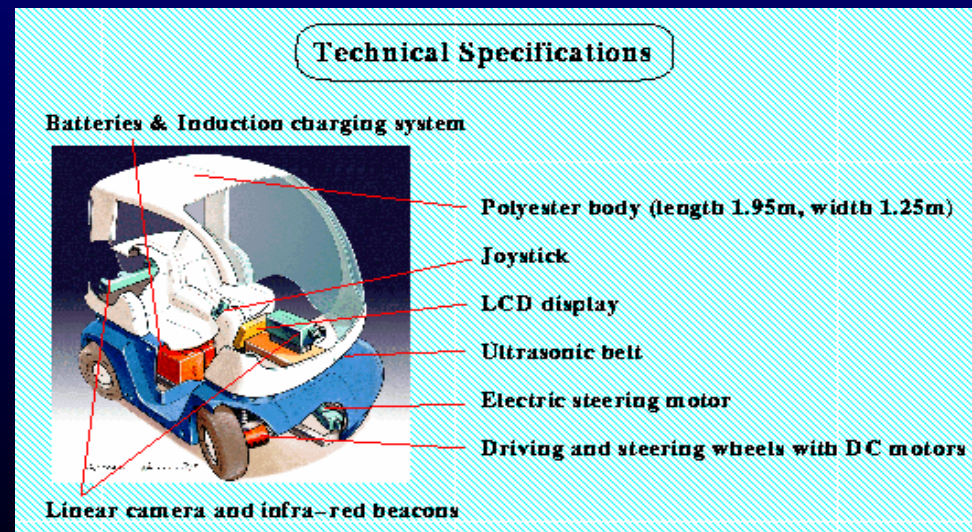
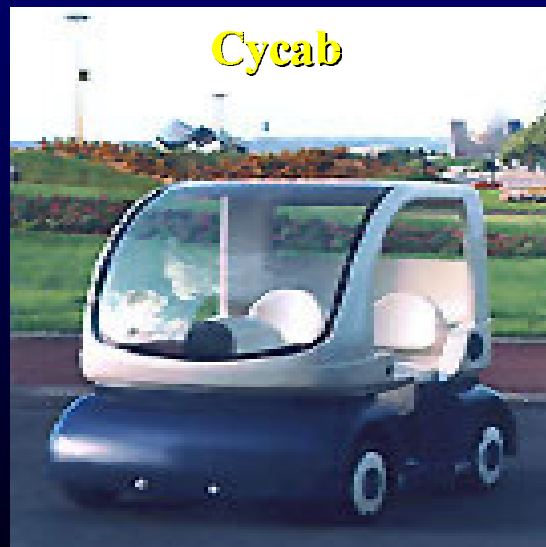
French Arcos project:
Vehicle Infrastructure Driver systems for road safety

Carsense (car manufacturers & suppliers)
Sensor fusion for danger estimation
Christian LAUGIER – e-Motion Team-Project

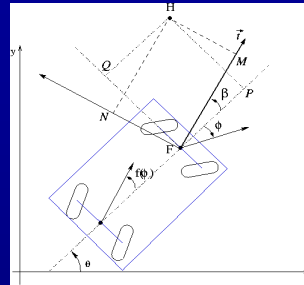
Experimental vehicles at INRIA Rhône-Alpes



- electric vehicle with front driven and steering wheels
- abilities of human or computer-driven motion
- control system: VME CPU-board, transputer net
- sensor : odometry, ultrasonic sensors, linear CCD camera



Models for controlling the Cycab



Differential Flatness of the Cycab

Turning frame : $(F, \vec{t}, \vec{t}^\perp)$ with $\beta(\phi) = \tan^{-1} \frac{B(\phi)}{A(\phi)}$

$$\vec{t} = \cos \phi f'(\phi) \vec{u}_{\theta+\phi} - \sin \phi f(\phi) \vec{u}_{\theta+f(\phi)}$$

$$A(\phi) = \cos^2(\phi) f'(\phi) - \sin^2(\phi) f(\phi)$$

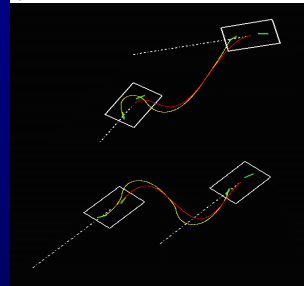
$$B(\phi) = \cos(\phi) \sin(\phi) f'(\phi) - \cos(f(\phi)) \sin(f(\phi))$$

$$M(\phi) = \frac{L \cos^2(f(\phi))}{\sqrt{A^2(\phi) + B^2(\phi)}}$$

$$N(\phi) = - \int_0^\phi \frac{L \cos^2(f(u))(B'(u)A(u) - A'(u)B(u))}{(A^2(u) + B^2(u))^{3/2}} du$$

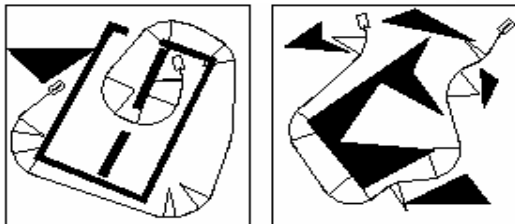
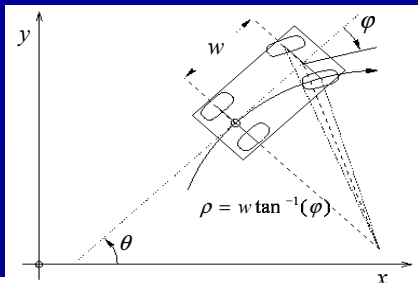


$$\begin{pmatrix} \dot{x}_x \\ \dot{y}_x \\ \dot{\theta} \\ \dot{\phi} \end{pmatrix} = \begin{pmatrix} \cos(\theta + f(\phi)) \\ \sin(\theta + f(\phi)) \\ \sin(\phi - f(\phi)) \\ 0 \end{pmatrix} u_1 + \begin{pmatrix} 0 \\ 0 \\ 0 \\ 1 \end{pmatrix} u_2$$

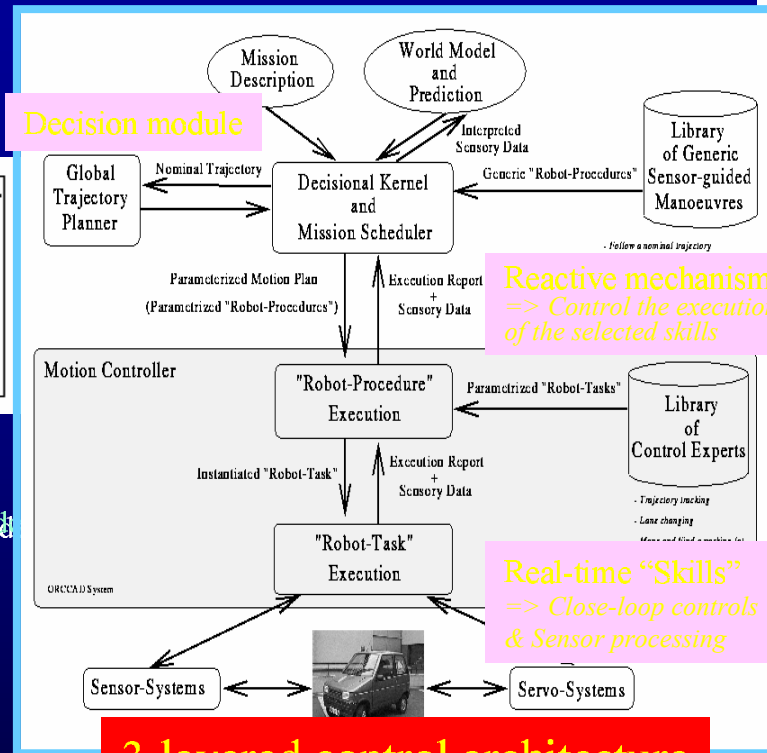


- Existence (Differential flatness) [Sekhavat, Hermosillo, 99]
- Necessary conditions (« flat outputs ») [Sekhavat, Rouchon, Hermosillo 01]
- Analytic determination of the « flat outputs » [Sekhavat, Hermosillo, Rouchon 01]
- Current work :
 - Application to motion planning & autonomous navigation (Hermosillo 03, Pradalier ...)
 - Dealing with dynamic environments (Pradalier, Fraichard, Petti, Vasquez ...)

Decisional & Control architecture

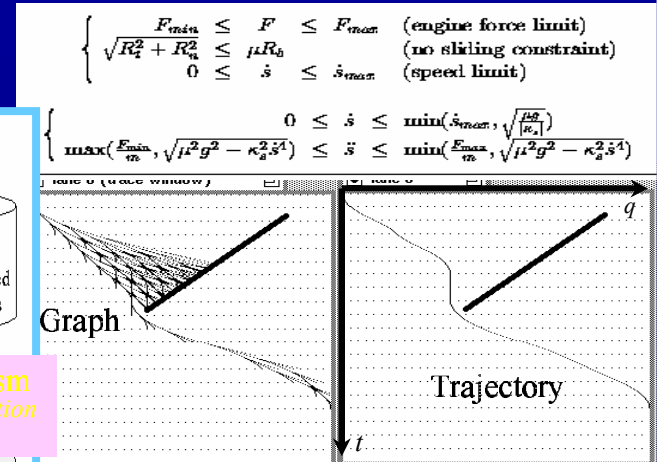


Planning CC-paths
(kinematic constraints ...)
continuous curvature profile + upper bound
curvature & curvature derivative
[Scheuer & Laugier 98]



3-layered control architecture

[Laugier et al. 98]



Kinodynamic Motion Planning

(Dynamic constraints ...)

[Fraichard 92]



Platooning [Parent & Daviet 96]



Lane Changing & Obstacle avoidance

[Laugier et al. 98]



Automatic Parallel Parking

[Paromtchik & Laugier 96]

« Platooning » [Parent & Daviet 96]



Electronic « Tow-bar »



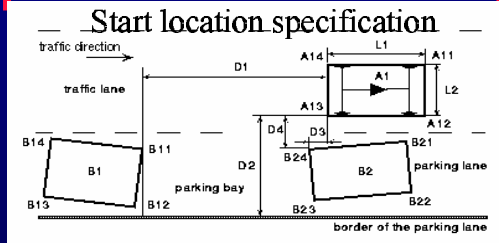
*CCD Linear camera + Infrared target
(high rate & resolution)*



Automatic parking maneuvers

[Paromtchik & Laugier 96]

On-line local world reconstruction
& Incremental motion planning



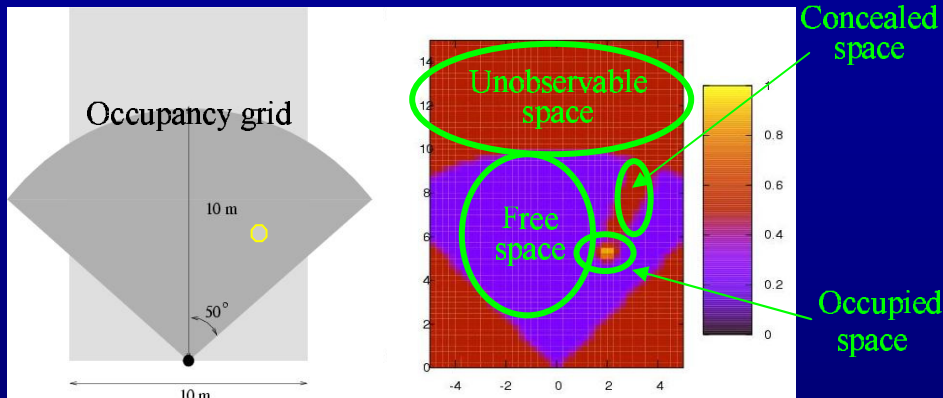
$$\begin{cases} \phi(t) = \phi_{\max} k_{\phi} A(t), & 0 \leq t \leq T \\ v(t) = v_{\max} k_v B(t), & 0 \leq t \leq T' \end{cases} \quad \phi_{\max} > 0, v_{\max} > 0, k_{\phi} =$$

$$A(t) = \begin{cases} 1, & 0 \leq t < t' \\ \cos \frac{\pi(t-t')}{T^*}, & t' \leq t \leq T-t' \\ -1, & T-t' < t \leq T \end{cases} \quad t' = \frac{T-T^*}{2}, T^* < T$$

$$B(t) = 0.5(1 - \cos 4\pi t/T), \quad 0 \leq t \leq T$$

⇒ On line motion planning using sinusoidal controls $\phi(t)$ and $v(t)$
(search for control parameters T and ϕ_{\max})

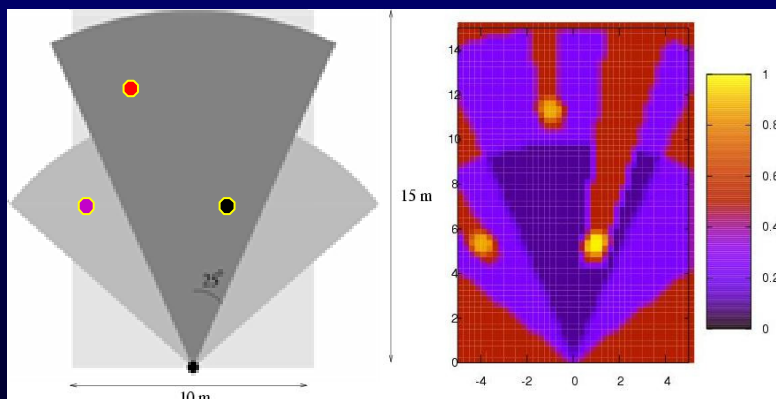
Robust obstacles tracking (Bayesian Occupancy Filter approach)



1 sensor & 1 object

$$P([E_c=1] | z c)$$

$$c = [x, y, 0, 0] \text{ and } z=(5,2,0,0)$$



2 sensors & 3 objects

$$P([E_c=1] | z_{1,1} z_{1,2} z_{2,1} z_{2,2} c)$$

$$c = [x, y, 0, 0]$$

$$z_{1,1} = (5.5, -4, 0, 0) \quad z_{1,2} = (5.5, 1, 0, 0)$$

$$z_{2,1} = (11, -1, 0, 0) \quad z_{2,2} = (5.4, 1.1, 0, 0)$$

Program

Description

Question

• Specification

– Variables :

- C : cell
- E_C : cell occupancy ($E_C=1$ means "occupied")
- $Z_{1:S}$: observations
- $M_{1:S}$: association (1 for each sensor)

– Decomposition :

$$P(C E_C M_{1:S} Z_{1:S})$$

$$= P(E_C C) \prod_{s=1}^S (P(M_s) \prod_{i_s=1}^{O_s} P(Z_{s,i_s} | E_C C M_s))$$

– Parametric form :

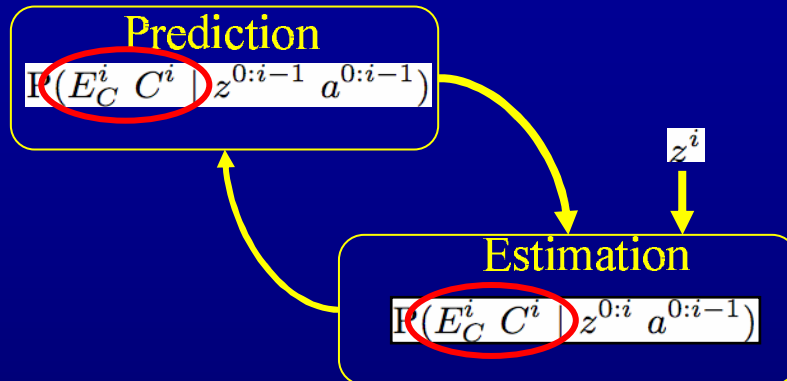
- $P(E_C C)$: a priori uniform
- $P(Z_{1:S} | E_C C)$: sensor models

• Identification => Calibration

• Utilization For all c : $P(E_c | Z_{1:S} c)$

Robust obstacles tracking & avoidance

Experimental results with the Cycab



Bayesian Occupancy Filter (BOF)



Pedestrian avoidance using the BOF